



# Genomic management of inbreeding in breeding schemes

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# Introduction

- Management  $\Delta F$  by Optimum Contribution Selection (Meuwissen '97)
  - Maximise genetic gain /  $\overline{EBV}$  of parents
  - Limit increase of coancestry / inbreeding
- In the era of genomics:
  - GEBV are by GBLUP / BayesA/B/C/R
    - Genomic relationship matrix **G**
- Question arises: move to Genomic Optimum Contributions (GOC)
  - Limit increase of genomic relationships **G**
  - Sonesson et al (2012): YES



# However...

- GS-GOC resulted in correct  $\Delta F_{\text{genom}}$  but low  $\Delta G$  (Sonesson et al. 2012)
  - Compared to GS-AOC (yielded  $\gg \Delta F_{\text{genom}}$ )
  - GS uses marker-set to achieve genetic progress /allele freq. changes
    - Allele freq. changes at QTL are desirable/markers are used as proxy for QTL
  - Can we use same marker-set to restrict allele freq. changes?
  
- $F_{\text{ped}}$  = inbreeding at unlinked neutral loci
  - Do unlinked neutral loci exist in the genomics world?
  - $F_{\text{ped}}$  underestimates real inbreeding in the genome

# AIM:



1. What do we really want to achieve by managing  $\Delta F$ ?
  - Which measure of inbreeding should be used
2. Which OC method achieves this goal best
  - GOC / AOC / or a new G-matrix orthogonal to the direction of selection
3. Does  $\Delta F$  management directly hinder  $\Delta G$  and vice versa
  - $\Delta G \Rightarrow$  allele freq. changes (at QTL/ markers)
  - $\Delta F$  management  $\Rightarrow$  limit allele freq. changes



# Goals of inbreeding management

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1. Want allele freq. changes at QTL in favorable direction
2. Avoid consequences from inbreeding:
  1. Inbreeding depression mainly at 'fitness' traits
  2. Loss of genetic variation at traits currently not of interest
    - Hypothetical trait may become of future interest
    - Selective sweeps should not erase most of the genetic variation
  3. Recessive disease alleles drifting to high frequency
    - Although disease mutations may be mapped and selected against
    - Diverts selection pressures away from breeding goal

# The solution for the three problems



- Maintain genomic heterozygosity (Het)
  1. Inbreeding depression is proportional to loss of heterozygosity ( $\Delta\text{Het} \cdot d$ )
  2. Genetic variance of hypothetical trait is  $\text{Het}_t \cdot a^2$
  3. Recessive diseases are not expressed in heterozygote form

# New definition of rate of inbreeding



- $Het_t = Het_0 (1-F)$

where  $F$  = inbreeding at the locus

«the locus» = a neutral locus, but may be linked to QTL / markers

- $F$  is thus inbreeding at neutral linked locus ( $F_{NL}$ )

–  $F_{ped}$  = inbreeding at neutral unlinked locus

- The rate of inbreeding at neutral linked loci is:

$$\Delta F_{NL} = \frac{Het_{t-1} - Het_t}{Het_{t-1}} = \frac{Hom_t - Hom_{t-1}}{1 - Hom_{t-1}}$$



# Comparing alternative OC schemes

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- AOC: pedigree relationships
- GOC: genomic relationships (VanRaden 2008; type II)
- GOC|**b**: genomic relationship orthogonal to the direction of selection **b**:

$$\mathbf{G|b} = \frac{\mathbf{XRX}'}{m} \text{ with } \mathbf{R} = \mathbf{I} - \frac{\mathbf{bb}'}{\mathbf{b}'\mathbf{b}}$$

**b** = solution vector of SNP effects (changes from generation to generation)

X = marker genotype matrix

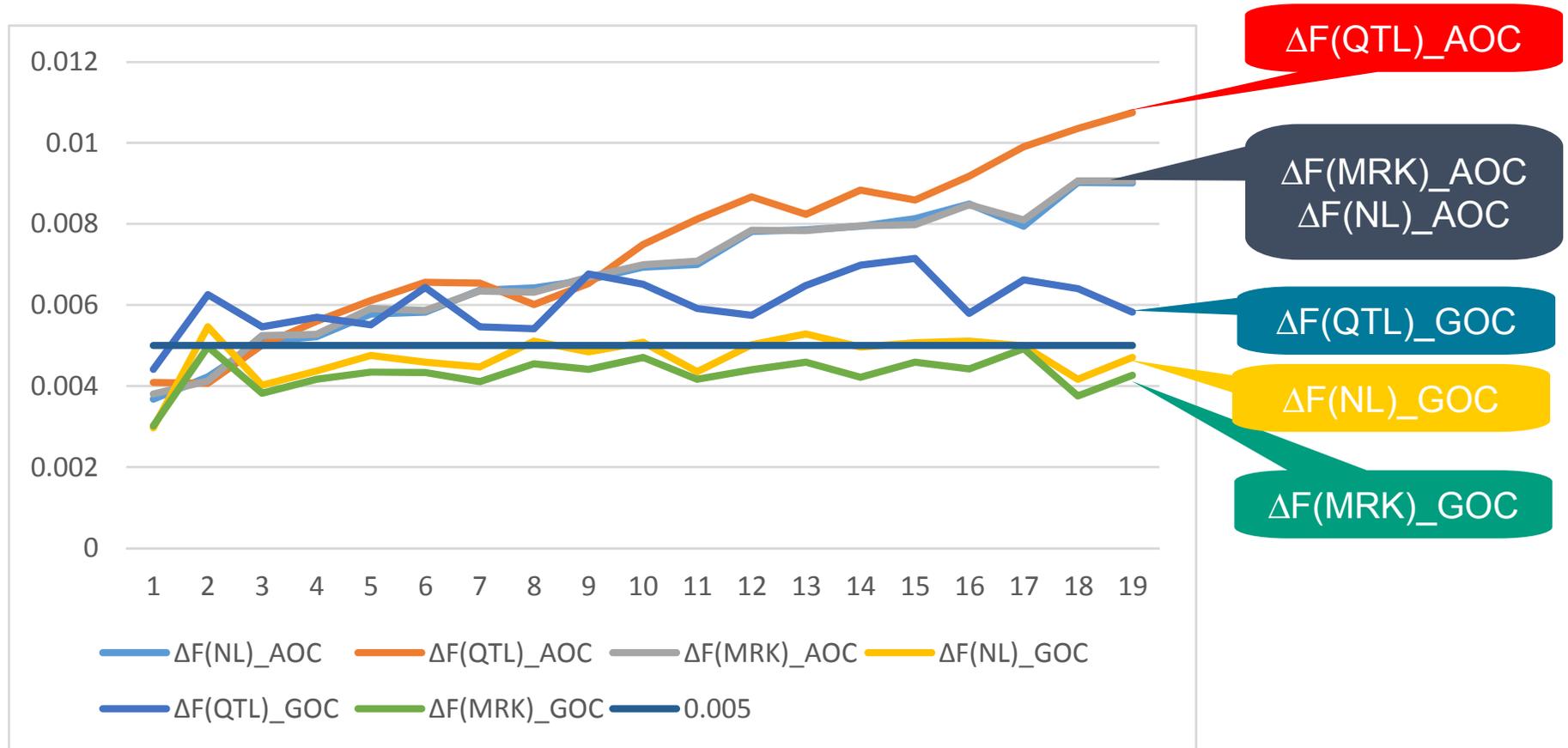
- Desired rate of inbreeding: 0.5%.

# Simulated fish breeding scheme



- Genome
  - 10 chromosomes of size 1 Morgan
  - SNP panel of 9000 SNPs
  - 1000 QTL loci (not in SNP panel)
  - 1000 neutral linked (not QTL/ not in SNP panel)
    - Monitor  $\Delta F_{NL}$ .
- Genomic selection scheme:
  - 2000 fish/generation
    - 1000 selection candidates (only genotyped)
    - 1000 sibs (genotyped + phenotyped ( $h^2=0.4$ ))

# $\Delta F$ : AOC vs. GOC



# Results (so far):



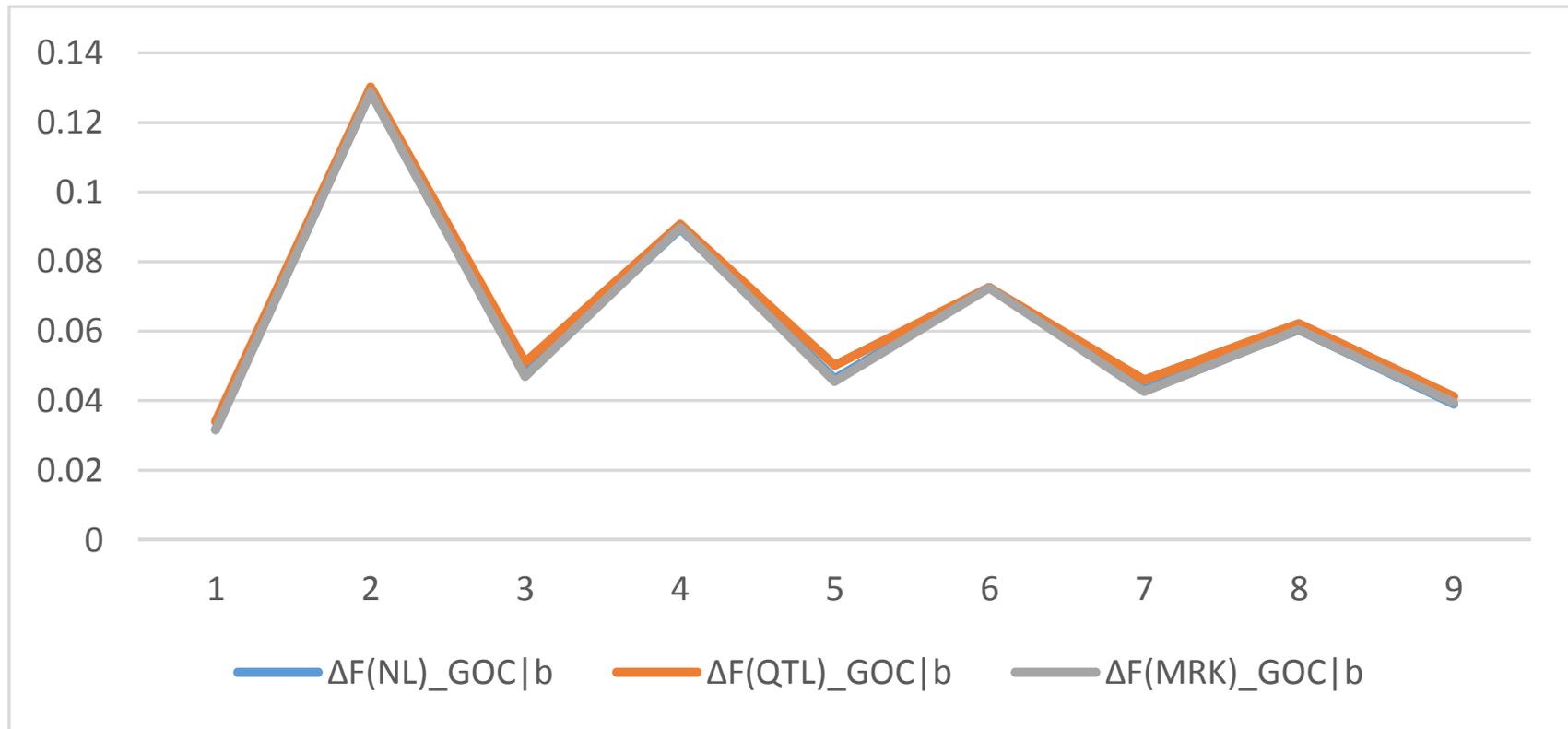
- GOC maintains  $\Delta F$  restriction at neutral linked loci
- $\Delta F(\text{QTL}) \gg \Delta F(\text{MRK})$ 
  - GS causes allele frq. changes at SNPs  $\Rightarrow$  associated changes at QTL
    - Freq. changes at QTL  $\gg$  freq. changes at SNPs

# Results (so far):



- GOC maintains  $\Delta F$  restriction at neutral linked loci
- $\Delta F(\text{QTL}) \gg \Delta F(\text{MRK})$ 
  - ~~GS causes allele freq. changes at SNPs => associated changes at QTL~~
    - ~~Freq. changes at QTL < freq. changes at SNPs~~
- AOC does not control the rate of inbreeding
  - $\Delta F_{\text{NL}}$  keeps increasing over 20 generations of selection

# $\Delta F$ when G|b method was used

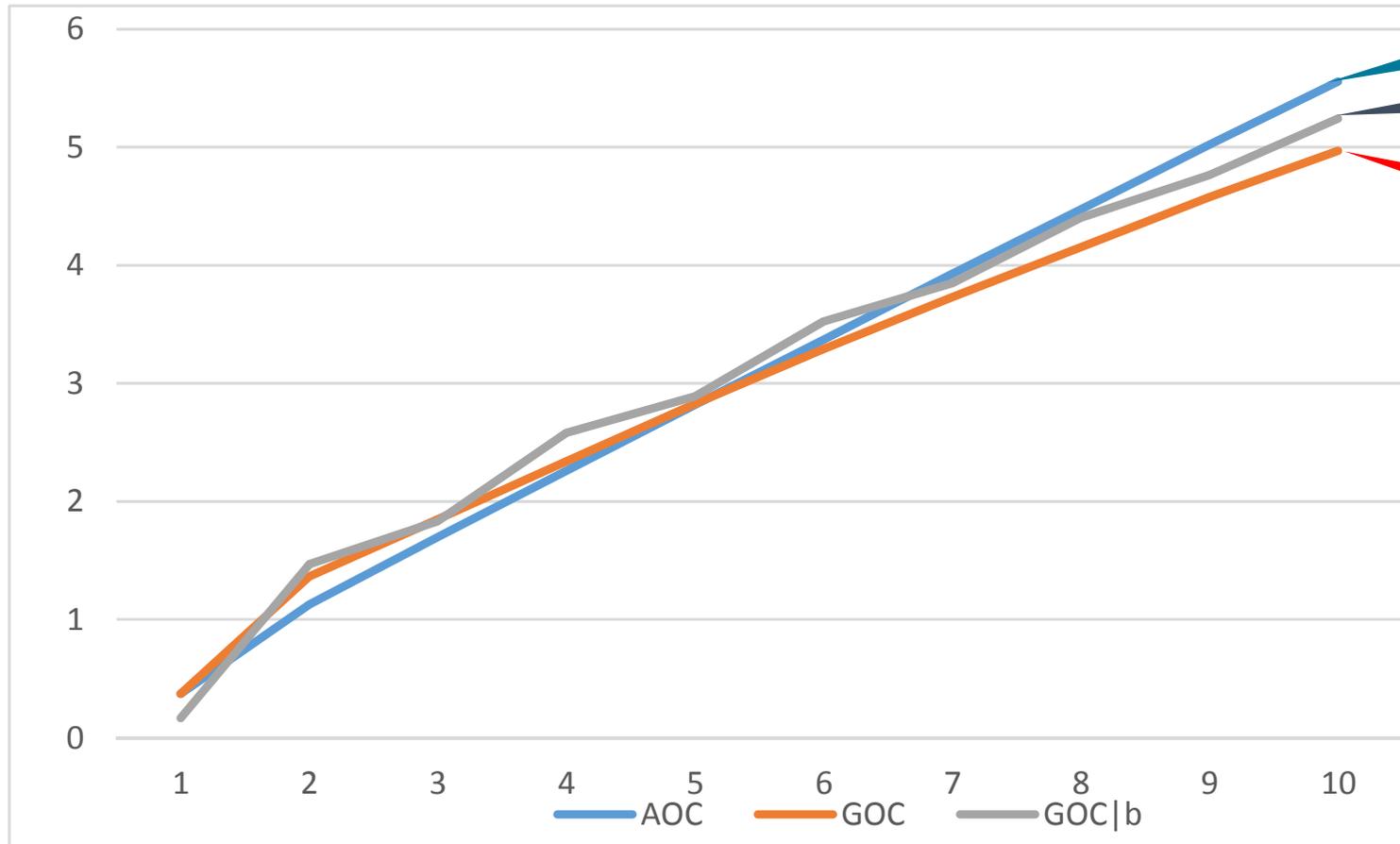


# Results from G|b method



- $\Delta F_{GOC|b}$  exceeded  $\Delta F_{NL}$  restriction
- $\Delta F$  is very similar at QTL, SNPs and NL-loci
  - Seems drift at NL-loci and SNPs follows that at QTL
    - Majority of inbreeding is due to inbreeding at QTL, which is unrestrained

# Genetic improvement



AOC

GOC|b

GOC

# $\Delta G$ results



- Initially GOC and GOC|b yield highest genetic gain
- GOC|b gives generally more gain than GOC
  - But also more  $\Delta F_{NL}$ .
- AOC yields lower  $\Delta G$  initially but highest  $\Delta G$  in the long term
  - due to the ever increasing  $\Delta F_{NL}$ .
  - $\Delta G$  does not decrease even though genetic variance reduces

# Discussion

# Define $\Delta F_{NL}$ as 'Genomic $\Delta F$ '



- Inbreeding is about the unknown risks of breeding
  - About variation outside the breeding objective / causal variants
  - Variation at neutral loci which may be linked to causal variants
  - Genomic  $\Delta F$  measures inbreeding due to genome and pedigree structure
    - $\Delta F_{ped}$  is inbreeding rate due to pedigree structure alone
- Selection is about the causal variants
  - Correlated responses are due to pleiotropic effects of causal variants
    - Separates risks due to correlated responses from those due to inbreeding

# WGS data and $\Delta F$ management



- $\Delta F$  management was directed at:
  - inbreeding depression at ‘fitness’ traits
  - maintaining genetic variance at hypothetical trait
  - avoiding drift at recessive disease loci
  - all these refer to ‘anonymous’ loci that occur in the genome
- But WGS data contains all these loci:
  - I.e. WGS data over several generations  $\Rightarrow$  genomic  $\Delta F$  (directly)
    - This differs from GEBV estimation: WGS data  $\neq$  GEBV

# Runs of homozygosity: $F_{ROH}$



- Distinguishes IBD from IBS
  - ‘Long’ ROH => IBD
    - Using too long ROH : misses out on true IBD
  - HOM is special case of  $F_{ROH}$  (runs of 1 SNP)
- Problem using long ROH:
  - Long ROHs recombine and break up
    - Thus  $F_{ROH}$  does not accumulate in the same way as inbreeding does
$$F_{t+1} \neq F_t + (1 - F_t)\Delta F$$
  - So if using  $F_{ROH}$  don't use too long runs
    - Probability of recombination over the considered time period should be negligible

# Conclusions

# On genomic $\Delta F$



- Define the genomic rate of inbreeding as  $\Delta F$  at neutral linked loci
- Addresses 3 main problems of inbreeding
  1. Inbreeding depression 'fitness' traits
  2. Genetic variation at hypothetical trait
  3. Drift at recessive disease loci
- Separates risk from  $\Delta F$  vs. from correlated selection responses
- WGS data can measure genomic  $\Delta F$ 
  - Contains all these 'anonymous' loci
  - Overwhelms the (relatively few) causal variants

# Conclusions wrt GOC schemes



- GOC controls the rate of genomic inbreeding ( $\Delta F_{NL}$ )
- AOC did not control  $\Delta F_{NL}$ 
  - $\Delta F_{NL}$  kept on increasing over 20 generations
- G|b relationship matrix resulted also in too high genomic  $\Delta F$ .
- Hypothesis: GS affects freqs of SNPs => freq changes at QTL
  - Disproved: inbreeding at QTL >> inbreeding at SNPs
  - Can combine GOC and GS using a SNP panel



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